

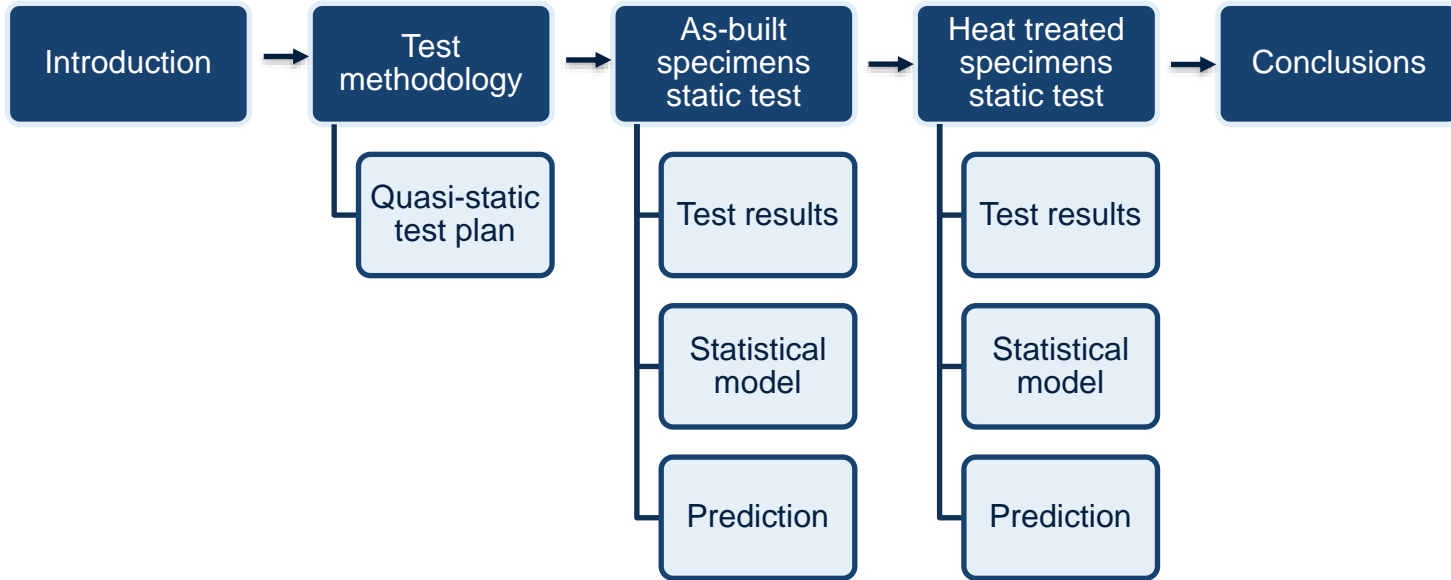
11TH INTERNATIONAL CONFERENCE ON COMPOSITE TESTING AND MODEL IDENTIFICATION, GIRONA, SPAIN MAY 31 – JUNE 2

CRACK DENSITY GROWTH OF HIGH TEMPERATURE CROSS-PLY LAMINATES SUBJECTED TO ELEVATED TEMPERATURES

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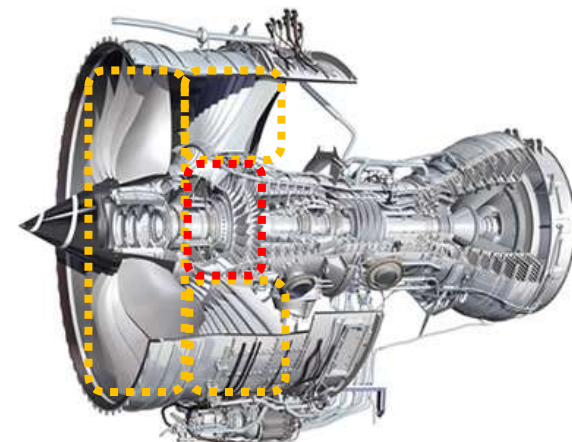
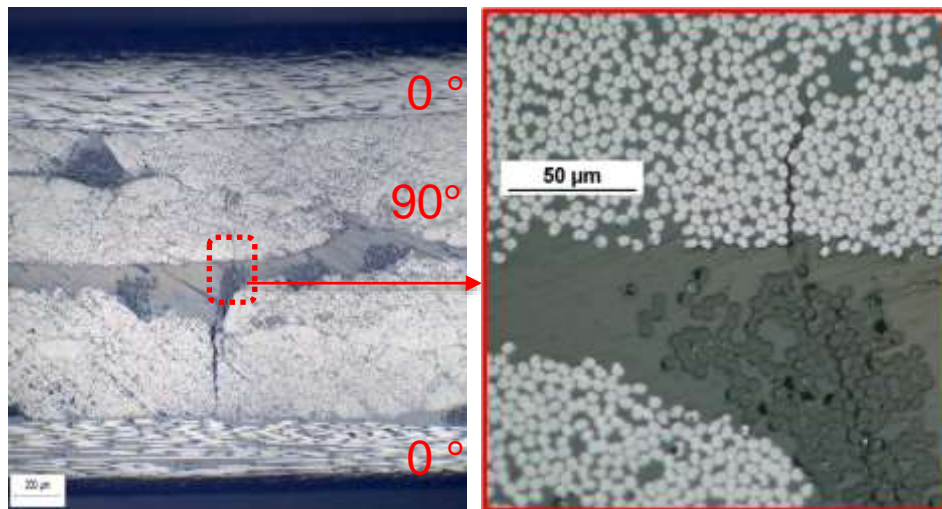
Contents



High Temperature Polymer Composites

UD carbon fabric + High temperature polymer [0/90₂]_s, [0/90/0/90_{1/2}]_s

Plate	Layup	90-layer thickness mm	Vf %
1	[0/90 ₂] _s	0.80	46
2	[0/90 ₂] _s	0.73	52
3	[0/90 ₂] _s	0.64	58
4	[0/90/0/90 _{1/2}] _s	0.16	57



- Long term thermal exposure, and thermal cycling
- Moisture ingress
- Quasi-static tensile load
- Tension-tension fatigue load

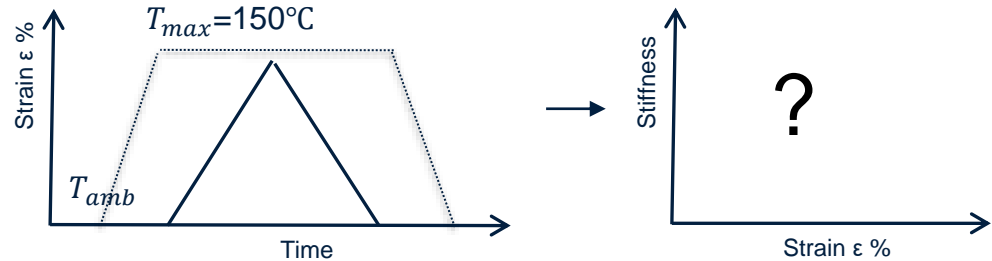
Test methodology and damage



- Quasi-static tensile test at room temperature and elevated temperature



Crack density → **Stiffness reduction**



Carbon fiber high temperature polymer



Quasi-static Test Plan

Plate 2: $[0/90_2]_s$; 90-layer thickness = 0.73mm; $V_f = 52\%$

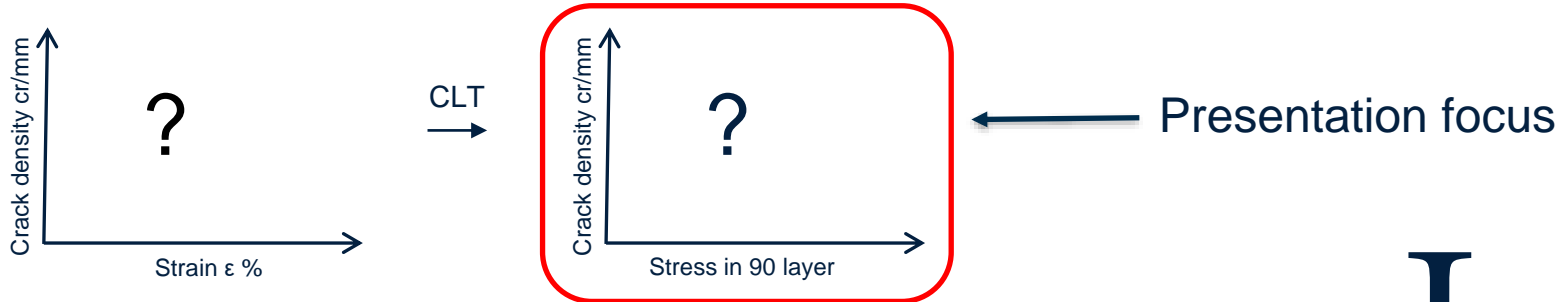
As-built specimens

- Quasi-static test at RT
- Quasi-static test at 150°C

Heat treated specimens

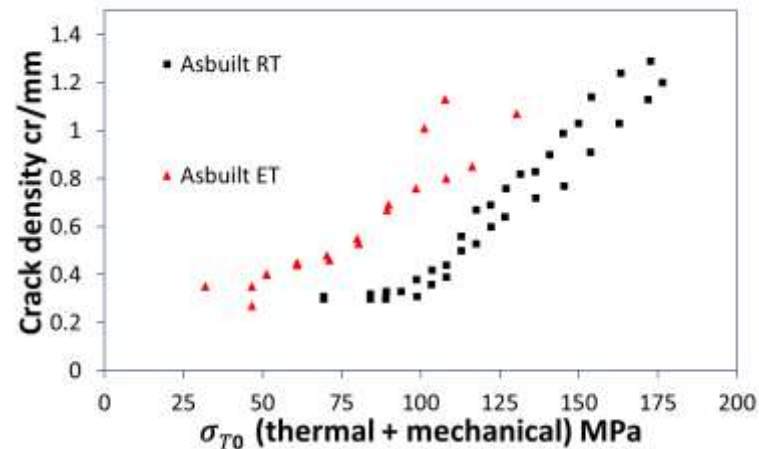
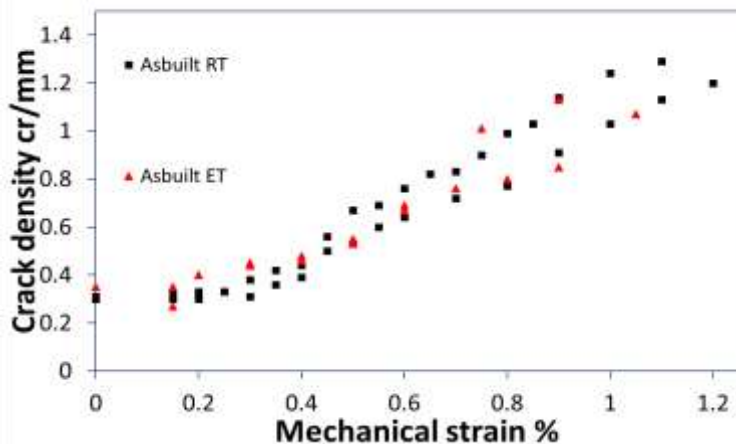
Iso-thermally aged at 150°C for 500 hours and 1000 hours

- Quasi-static test at RT
- Quasi-static test at 150°C



As-built Specimens Static Tested at Room and Elevated Temperature

Plate 2: $[0/90_2]_s$; 90-layer thickness = 0.73mm; $V_f = 52\%$



ET=150°C

EDGE TRANSVERSE CRACKS

Crack density is determined from average of crack density in both edges

Statistical modelling

Different fiber clusters (with stress concentrations) in different positions; different failure stress in different positions
Initiation of cracks at edges

Weibull distribution

Quasi-static tensile loading: $P_f = 1 - \exp\left(-\left(\frac{\sigma_T}{\sigma_0}\right)^m\right)$

Shape parameter m

Scale parameter σ_0

Assumptions:

σ_0 depends on temperature and conditioning, $\sigma_0 = f(\text{stress, temperature, time, ...})$

At reference temperature and condition (at room temperature and as-built condition), Scale parameter is σ_0 ;
 otherwise scale parameter is $\sigma_0^* = \sigma_0 * k_1 * k_2$; $k_1 = f(\text{test temperature})$, $k_2 = f(\text{heat treatment})$

When as-built specimens quasi-static tested at an arbitrary temperature, $k_2=1$, and

From empirical fitting,

$$k_1 = 1 - c * \Delta T; c = 0.002$$

$\Delta T = T_{test} - T_{Ref_T}$ (difference between test and reference temperature)

Statistical modelling

Different fiber clusters (with stress concentrations) in different positions; different failure stress in different positions

Initiation of cracks at edges

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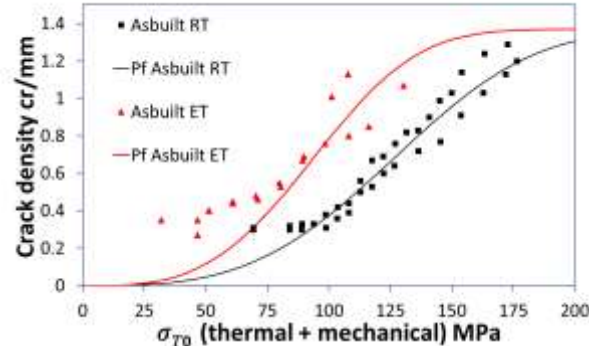
Shape parameter $m = 3.3$
Scale parameter $\sigma_0 = 142 \text{ MPa}$

When as-built specimens quasi-static tested at an arbitrary temperature, $k_2=1$, and

From empirical fitting,

$$k_1 = 1 - c * \Delta T; c = 0.002$$

$\Delta T = T_{\text{test}} - T_{\text{Ref}_T}$ (difference between test and reference temperature)



Heat Treatment at Elevated Temperatures

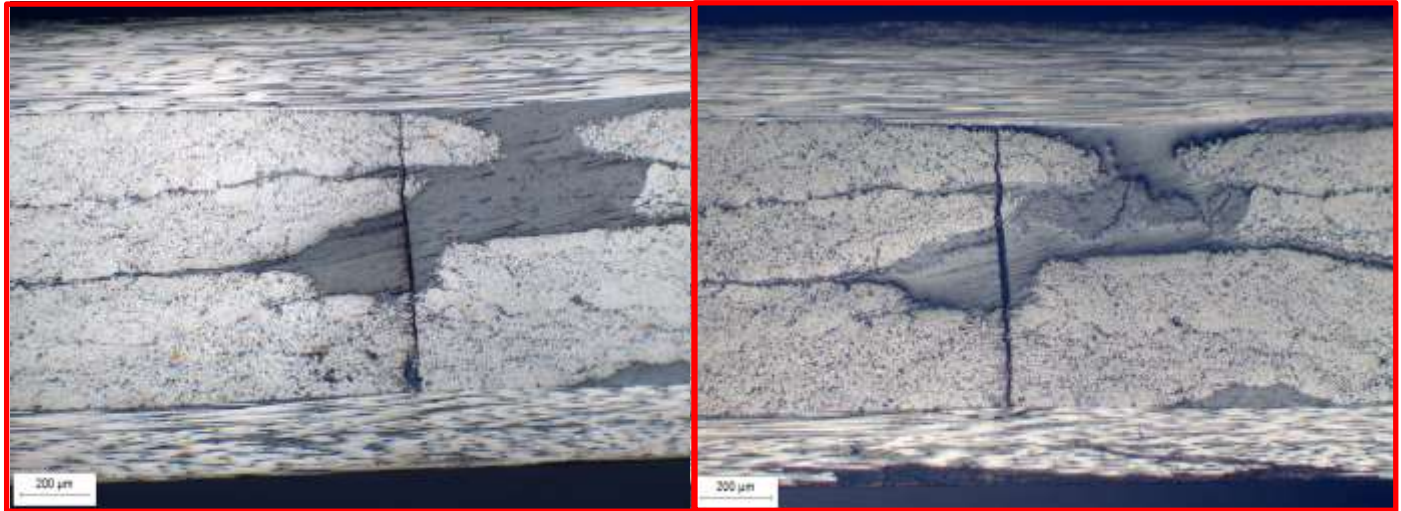
Plate 2: $[0/90_2]_s$; 90-layer thickness = 0.73mm; $V_f=52\%$

Before static tensile testing

Isothermal heat treatment
at 150°C for 500 hours
and 1000 hours

- 500 hours includes 7 thermal cycles
- 1000 hours includes 10 thermal cycles

- Thermal cycling effect
- Long term thermal exposure
- Rapid cool down
- Hygroscopic shrinkage

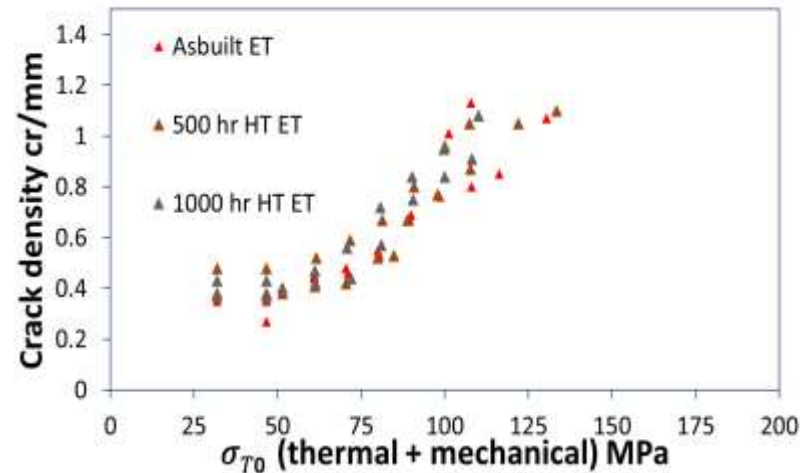
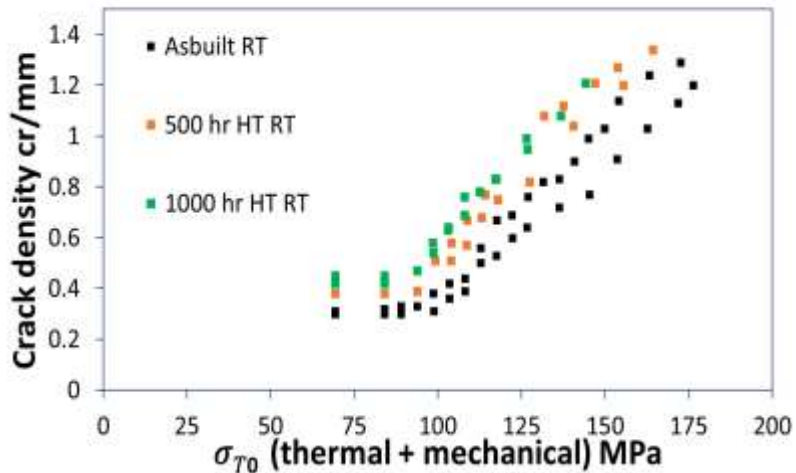


As-built

Heat treated for 1000 hours

Heat Treated Specimens Static Tested at Room Temperature and Elevated Temperature

Plate 2: [0/90₂]_s; 90-layer thickness = 0.73mm; Vf=52%

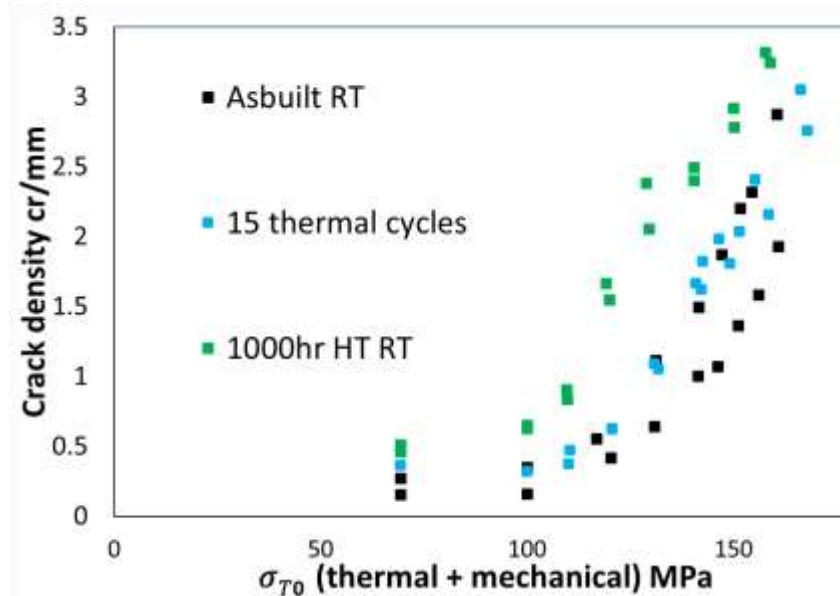


ET = 150°C

HT = Iso-thermal ageing at 150°C

Heat Treated Specimens Static Tested at Room Temperature

Plate 4: [0/90/0/90_{0.5}]_s; 90-layer thickness=0.16mm; Vf=57%



RT → 150°C → RT
25 minutes at 150°C

»» 25min x 15cycles = 6.5hrs

HT = Iso-thermal ageing at 150°C

Statistical modelling

Different fiber clusters (with stress concentrations) in different positions; different failure stress in different positions

Initiation of cracks at edges

Weibull distribution

Quasi-static tensile loading: $P_f = 1 - \exp\left(-\left(\frac{\sigma_T}{\sigma_0}\right)^m\right)$

Shape parameter $m = 3.3$
Scale parameter $\sigma_0 = 142 \text{ MPa}$

Assumptions:

σ_0 depends on temperature and conditioning, $\sigma_0 = f(\text{stress, temperature, time, ...})$

At reference temperature and condition (at room temperature and as-built condition), Scale parameter is σ_0 ;
otherwise scale parameter is $\sigma_0^* = \sigma_0 * k_1 * k_2$; $k_1 = f(\text{test temperature})$, $k_2 = f(\text{heat treatment})$

When heat treated specimens quasi-static tested at an arbitrary temperature,

From empirical fitting,

$$k_1 = 1 - c * \Delta T; c = 0.002$$

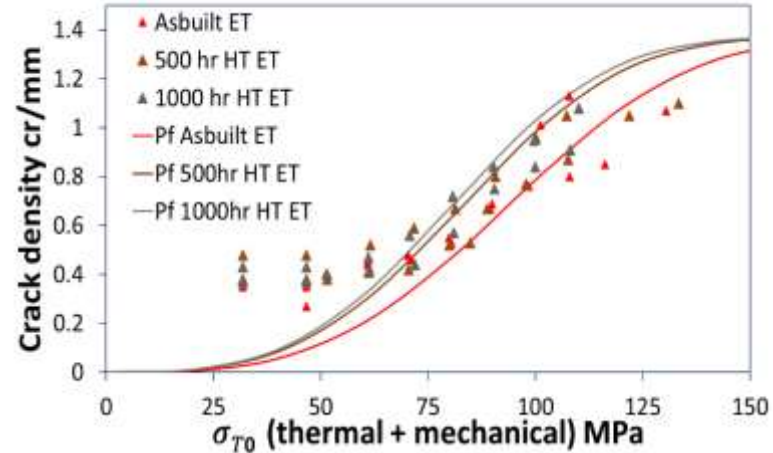
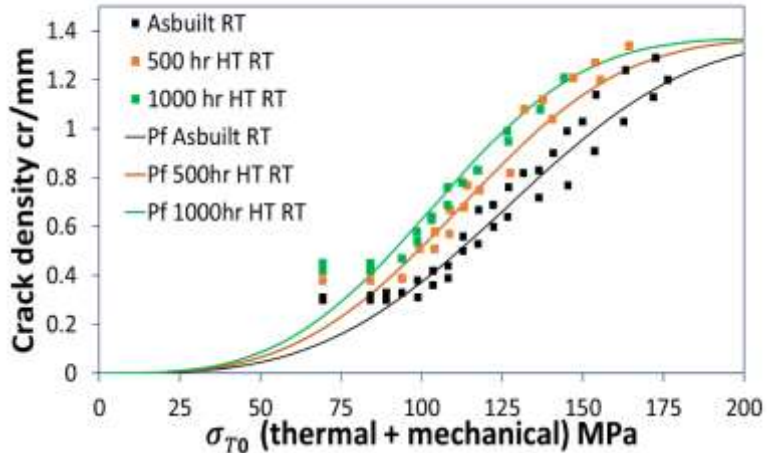
$$k_2 = 0.89; \text{ for 500 hours at } 150^\circ\text{C}$$

$$k_2 = 0.82; \text{ for 1000 hours at } 150^\circ\text{C}$$

$\Delta T = T_{test} - T_{Ref_T}$ (difference between test and reference temperature)

Prediction – Plate 2

Plate 2: [0/90₂]_s; 90-layer thickness = 0.73mm; Vf=52%



Scale parameter $\sigma_0^* = \sigma_0 * k_1 * k_2$

$k_1 = 1 - c * \Delta T$; $c = 0.002$

$k_2 = 0.89$; for 500 hours at 150°C

$k_2 = 0.82$; for 1000 hours at 150°C

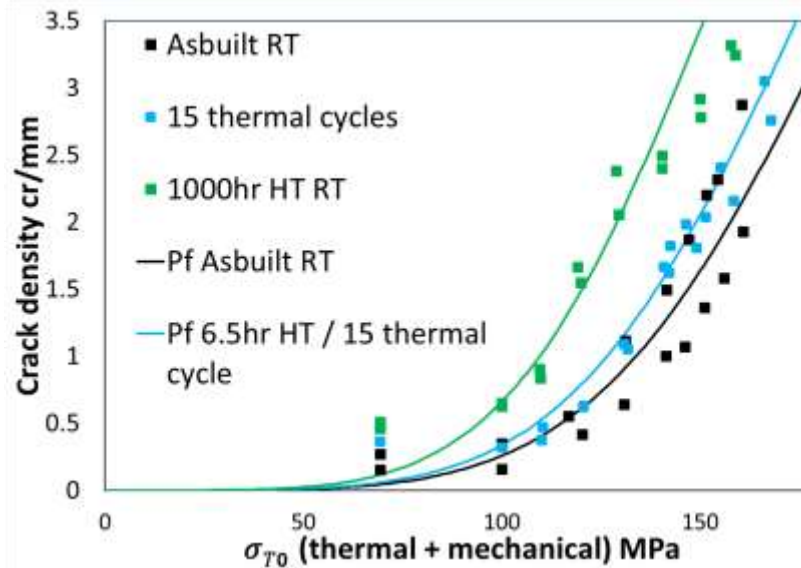
ET = 150°C

HT = Isothermal ageing at 150°C

Prediction – Plate 4

Plate 4: [0/90/0/90_{0.5}]s; 90-layer thickness=0.16mm; Vf=57%

From as-built specimens quasi-static tested at room temperature,
Shape parameter $m = 4.87$
Scale parameter $\sigma_0 = 190.41 \text{ MPa}$



Scale parameter $\sigma_0^* = \sigma_0 * k_1 * k_2$

$k_1 = 1$

$k_2 = 0.95$; for 6.5 hours at 150°C

$k_2 = 0.82$; for 1000 hours at 150°C

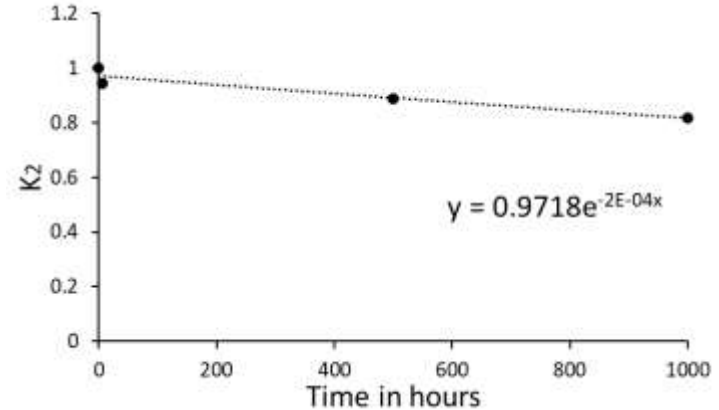
HT = Isothermal ageing at 150°C

k_2 degradation

$$k_2 = f(\text{material, temperature, time, ageing ambience ...})$$

Assumption: When iso-thermal ageing (at 150°C) with air, for the tested material system, k_2 degradation can be described in terms of ageing time.

Remains to be studied in the future



Conclusion

- Transverse cracking resistance has decreased in laminate when quasi-static tested at elevated temperature.
- Thermal cycling influenced crack density growth however negligible effect was found in transverse cracking resistance when quasi-static tested.
- Isothermal ageing significantly affected the transverse cracking resistance when quasi-static tested.
- Weibull failure stress model with k_1 and k_2 in scale parameter predicted crack density growth in all tested specimens with good agreement.

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Scientific advisor: Prof. Janis Varna,
Master thesis student: Alessia Cardin



*LUNA Project – Life and durability
prediction of aero-engine composites*

